## TITLE PAGE

## COMPUTERIZATION OF REGRESSION AND CORRELATION ANALYSIS

CASE STUDY: INTERDEPENDENCY OF SOME STOCK MARKET INDICATORS TO MARKET CAPITALISATION ON THE NIGERIAN STOCK EXCHANGE

## BY

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## CERTIFICATION

This is to certify that this project is the original work of Mr.
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## DEDICATION

This project is dedicated to the glory of almighty God. Who in his infinite mercy granted the wisdom, strength and finances toward the completion this tasking work.

## ACKNOWLEDGEMENT

My sincere appreciation goes to my able project supervisor, Mrs. Cole A. T., who despite her family and tight schedule, thoroughly scrutinize this project work to it completion.

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## ABSTRACT

This project work uses BASIC programming language to write and run linear multiple regression (involving two independent variables) and correlation coefficients to determine the strength of relationship between variables involved. Data on growth in new issues and stock index was examined to ascertain their contribution to the growth in the market capitalization (dependent variable).

The multiple regression fitted with a sampled data showed that stock index contributed higher value than new issues to the growth of market capitalization. Positive and high partial correlation coefficients were also observed between the variables, though a week and negative correlation was obtained in respect of new issues and stock index.

The test on the overall significance of regression estimates was significant at 5\%.

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## CHAPTER ONE

### 1.0 INTRODUCTION

In today's global business and economic environment, vast amount of statistical information are available. The most successful government, managers and decision makers are the ones who give priority and invest a great deal of their resources towards understanding the behaviors of data, utilizing them effectively for organizational goals.

A sensitive and most emerging segment of the financial system; the capital market for instance, is worth examining. Specifically, the swing in stock prices (on the secondary market) and the rate of expansion in the new issuance of securities are apparently recurring activities linked to the growth of the total market value. This call for a substantive statistical investigation to establish the contribution, if it exist, and to what degree the new issues and stock index are related to the market capitalization. Meanwhile, the capital market is the market that facilitates the mobilization and allocation of long-term funds for sustenance and development of industries and government programmes.

In the real world, manual applications of statistical analysis (numerical measures) to complex and diverse information generating from contemporary businesses can be too tedious and sometimes not possible at all to adopt. These processes are faster, error free, highly
accurate and utilize less personnel, space and time when executed with precise computerized procedures.

This project work is adopting Basic programming language to run regression and correlation analysis to ascertain the level of interdependency in growth of new issues and stock index to the growth of total market capitalization on the Nigeria Stock Exchange.

### 1.10 DATA ANALYSIS

Applications of data analysis and statistical methodology are an integral part of organizations. Modern businesses have more need to predict future operations than did those of the past, when businesses were smaller. Small-business managers often can solve problems simply through personal contact. Managers in large corporations, however, have to deal with problems incorporating interactive elements or constraints or variables with distinct attributes.

Managerial decisions often are based on the relationship between two or more variable. For example, after considering the relationship between advertising expenditures and sales, a marketing manager might attempt to predict sales for a given level of expenditures. Areas of business that adopt statistical methods and techniques include: Industries (Quality control), Econometrics (trend analysis and forecasting), and demography among others.

### 1.20 COMPUTERIZATION AND DATA ANALYSIS

A Computer is a device that works under the control of stored programs, automatically accepting, storing and processing data to produce information. Computers are very widely used for the creation, manipulation and storage of documents but there is enormous variation in the methods used and in the levels of sophistication. When the computer processes data it actually performs a number of separate functions which include input (accept data), storage (hold data internally before, during and after processing), processing (operation on data held) and output (information for use).

Every functional area of business needs to collect data to gain insight into projections for the future or information for decision making. The organization and measurement of data into useful information, for system and sub-systems are better achieved electronically. Computers play a major and central role in our contemporary economy with broad application in the area of data analysis.

A wide range variety of software, for processing statistical data (packages) is on the increase. These packages assist greatly in the task of data manipulation, storage and presentation with high level of sophistication.

### 1.30 HISTORICAL BACKGROUND

The Nigerian Stock Exchange (NSE) first stated as the Lagos Stock Exchange (LSE) in 1960 and later became NSE in December 1977.

Thereafter branches of the exchange were established in different parts of the country. The exchange which stated with only 19 securities traded on its floor in 1961 now has 288 securities as at end of December 2005.

The capital market is divided into the primary and secondary market. The stock exchange is the secondary side of the market. The primary market, also known as the new issues market is the segment of the market that facilitates the actual issuance of new securities while the secondary market is often described as the re-sale segment of the market; the market facilitate the transfer of already existing securities. On the other hand, the securities in the two markets may be either bonds or equities. Bonds are facilities for raising debts by corporate and government while equities confers ownership rights of a company on the holders.

The strength and worth of a particular stock market is measured by it total market capitalization. This in turn depends greatly on the amount of new securities created and variation in prices of the stock and bonds. The external business environments especially government reforms and policies influence greatly the creation of more securities in the market, and of course, the market forces of demand and supply as well as companies performances plays a vital role in determining the stock value at a point in time.

The NSE on regular bases publishes stock performance in terms of gains, stock index, market capitalization and price/earning ratios e.t.c. These indicators are worth examining as the market shows great potentials.

This project work will look at the extend and strength of the relationship between market capitalization, new issues and stock price index of the NSE.

### 1.40 AIMS AND OBJECTIVES

The aim of this project is to develop a computer program for computation and execution of empirical assessment of Regression and Correlation analysis. The developed program will be used to achieve the following objectives:
i. To fit a multiple regression equation involving two independent variables $Y=a+b x 1+c x 2$, where $x 1$ and $x 2$ represent Stock Price Index on the NSE and Value of New Securities floated in the primary market. Total Market Capitalization is the dependent variable (Y).
ii. To ascertain the degree of Correlation between Total Market Capitalization, new issues and stock index.
iii. To ascertain the significant of the overall estimated regression parameters using Analysis of Variance (ANOVA).

### 1.50 SCOPE AND LIMITATIONS

The market capitalization of a company is the product of its fully paid shares and the current market price of the stock at a particular period. Thus, the Total Market Capitalization of a stock market is the aggregate market capitalization of all listed securities at a point in time. The stock index is a measure of stock market price trend and performance. The sources of variation in the value of market capitalization are closely tied to variation in companies' shares and well as price fluctuations. Broadly, the two variations can be influenced by the following;
i. Variation in Share

- Creation of additional shares (new issues)
- Bonus issues
- Government policy e.t.c
ii. Price fluctuations
- Forces of demand and supply
- Company's performance
- Government policy e.t.c

This project study will limit its scope to analysis of regression and correlation considering the contribution of new issues and stock index performance to the growth of total market capitalization between 1985 and 2005.

## CHAPTER TWO

### 2.0 LITEATURE REVIEW

### 2.10 REGRESSION ANALYSIS

Regression analysis is a method of studying the relationship between two (or more) variables, one purpose being to arrive at a method for predicting a value of the dependent variable. This project will examine a linear regression analysis involving two variables. But first we shall examine a general model, beginning from a simple linear regression analysis.

### 2.11 REGRESSION MODEL

The equation that describes how the dependent variable is related to independent variable (s) and an error term is called the regression model. This describes $Y_{i}=F\left(X_{i}\right)$ and is given as;
$Y_{i}=\beta_{0}+\beta_{1} X_{1}+\beta_{2} X_{2}+\ldots \beta_{i} X_{i}+\varepsilon$

### 2.12 SIMPLE LINEAR REGRESSION MODEL

In simple linear regression, we use only one predictor variable, $x$, to describe the behavior of the dependent variable, $y$. Also, the relationship between $x$ and $y$ is assumed to be basically linear. When a linear regression model is assumed, we employ a statistical model of the form;
$y=\beta_{0}+\beta_{1} x+\varepsilon \ldots$ (2)

Where $\beta_{0}+\beta_{1} x$ is the assumed line about which all values of $x$ and $y$ will fall (deterministic portion of the model) and $\varepsilon$ is the error component (random part of the model). The simple linear regression equation is given by;
$E(y)=\beta_{0}+\beta_{1} x \ldots$ (3)
To have an effective predictor and a model that will enable us to make decisions, the following assumptions are necessary;

- The mean of each error component is zero
- Each error component follows an approximate normal distribution
- The variance of the error component is the same for each value of $x$
- The error are independent of each other


### 2.13 ESTIMATE OF LINEAR REGRESSION EQUATION (LEAST SQUARE METHOD)

If the value of the parameters $\beta_{0}$ and $\beta_{1}$ were known, we could use equation (3) to compute the mean value of $y$ for a known value of $x$. Unfortunately, the parameter values are not known in practice and must be estimated by using sample data. Sample statistics ( $b_{0}$ and $b_{1}$ ) are computed as estimates of the parameters $\beta_{0}$ and $\beta_{1}$. The estimated regression equation is given as; $\hat{y}=b_{0}+b_{1} x$

Where

$$
\begin{equation*}
\mathrm{b}_{1}=\frac{\mathrm{n} \sum \mathrm{xy}-\left(\sum \mathrm{x}\right)\left(\sum \mathrm{y}\right)}{\mathrm{n} \sum \mathrm{x}^{2}-\left(\sum \mathrm{x}\right)^{2}} \tag{4}
\end{equation*}
$$

and

$$
\begin{equation*}
\mathrm{b}_{0}=\frac{\Sigma \mathrm{y}}{\mathrm{n}}-\mathrm{b}_{1} \frac{\Sigma \mathrm{x}}{\mathrm{n}} \tag{5}
\end{equation*}
$$

### 2.14 THE MULTIPLE REGRESSION MODEL

Multiple linear regression offers a method of predicting or modeling the behavior of a particular dependent variable (y) using two or more independent (predictor) variables. As in the case of simple linear regression, which uses one predictor variable, the regression coefficient are those that minimize Sum of Square Error $(\operatorname{SSE})=\Sigma\left(y_{i}-\hat{y}_{i}\right)^{2}$. In the multiple regression model, $\beta_{0}, \beta_{1}, \beta_{2} \ldots \beta_{i}$ are the parameters and $\varepsilon$ is a random variable, from equation (1). The model depict that y is a linear function of $\mathrm{x}_{1}, \mathrm{x}_{2} \ldots \mathrm{x}_{\mathrm{i}}$. To use this technique properly, one must pay special attention to the assumptions behind it;

- The regression errors follows a normal distribution with mean ( $\mu$ ) zero and have a common variance ( $\sigma$ )
- The errors are statistically independent

Consequently, the expected value of $y$ is given as:
$E(y)=\beta_{0}+\beta_{1} x_{1}+\beta_{2} x_{2}+\ldots \beta_{i} x_{1} \ldots$ (6)
The estimates (sample statistics) for the values of the parameters $\beta 0$, $\beta 1, \beta 2 \ldots \beta i$ are $b_{0}, b_{1}, b_{2} \ldots b_{i}$. These sample statistics provide the following estimated multiple regression equation;
$\hat{y}=b_{0}+b_{1} x+b_{2} x_{2}+\ldots b_{1} x_{i} \ldots$ (7)

### 2.15 ESTIMATE OF MULTIPLE REGRESSION EQUATION WITH TWO INDEPENDENT VARIABLES

The regression estimates involving to independent variable $x_{1}$ and $x_{2}$ is given by; $\hat{y}=b_{0}+b_{1} x_{1}+b_{2} x_{2}$

By illustration, the value of the total market capitalization (y) is dependent on the number of new issues created (x1) and stock index ( $x 2$ ) i.e. $y=f(x 1, x 2)$. For this type of multiple regression analysis, the least squares criterion calls for minimization of Sum of Square Error (SSE) i.e.

SSE $=\Sigma\left(y_{i}-b_{0}-b_{1} x_{1 i}-b_{2} x_{2 i}\right)^{2} \ldots(9)$.
To minimize (9), we must take the partial derivatives of SSE with respect to $b_{0}, b_{1}$ and $b_{2}$. We can then set the partial derivatives equal to zero and solve for the estimated regression coefficients $b_{0}, b_{1}$ and $b_{2}$.

Taking the partial derivatives setting them equal to zero provides;
OSSE $=-2 \Sigma\left(y_{i}-b_{0}-b_{1} x_{1 i}-b_{2} x_{2 i}\right)=0$ $\partial \mathrm{b}_{0}$

ƏSSE $=-2 \sum x_{1 i}\left(y_{i}-b_{0}-b_{1} x_{1 i}-b_{2} x_{2 i}\right)=0$, and $\partial \mathrm{b}_{1}$

ӘSSE $=-2 \sum x_{2 i}\left(y_{i}-b_{0}-b_{1} x_{1 i}-b_{2} x_{2 i}\right)=0$
$\partial b_{2}$
This leads to the following series of equations;
$\Sigma y_{i}=n b_{0}+\left(\Sigma x_{1 i}\right) b_{1}+\left(\Sigma x_{2 i}\right) b_{2}$
$\Sigma x_{1 i} y_{i}=\left(\Sigma x_{1 i}\right) b_{0}+\left(\Sigma x^{2}{ }_{1 i}\right) b_{1}+\left(\Sigma x_{1 i} x_{2 i}\right) b_{2}$
$\Sigma x_{2 i} y_{i}=\left(\Sigma x_{2 i}\right) b_{0}+\left(\Sigma x_{1 i} x_{2 i}\right) b_{1}+\left(\Sigma x^{2}{ }_{2 i}\right) b_{2}$

### 2.16 MULTIPLE COEFFICIENT OF DETERMINATION

The coefficient of determination is used to measure the goodness of fit for the estimated regression equation. This concept is applicable to simple and multiple regression equation. The Sum of Squares Total (SST) can be partitioned into two; Sum of Square due to Regression (SSR) and Sum of Squares due to Error (SSE), that is, SST = SSR + SSE where

SST $=\Sigma\left(y_{i}-\bar{y}\right)^{2}$
SSR $=\Sigma\left(\hat{y}_{i}-\bar{y}\right)^{2}$
SSE $=\Sigma\left(y_{i}-\hat{y}_{i}\right)^{2}$
The multiple coefficient of determination, denoted $\mathrm{R}^{2}=\mathrm{SSR} / \mathrm{SST}$. $\mathrm{R}^{2}$ can be interpreted as the proportion of the variability in the dependent variable that can be explained by the estimated multiple regression equation. $\mathrm{R}^{2}$ multiplied by 100 can be interpreted as the percentage of variability.

### 2.20 CORRELATION COEFFICIENT ANALYSIS

The sample coefficient of correlation denoted by $r$, measures the strength of the linear relationship that exists within a sample of $n$ bivariate data. Its value is given by;
$r=$

The possible range of $r$ between -1 and 1

### 2.21 PARTIAL CORRELATION COEFFICIENT

A partial correlation coefficient measures the relationship existing between any two variables when all other variables connected with those two are kept constant. The partial correlation coefficient is determined in terms of simple correlation coefficient (as stated above) among the variable involved in a multiple relationship. Partial correlation coefficient involving two variable x 1 and x 2 can be obtained as follows;

## Keeping x 2 as constant

$r_{x 1 y, \times 2}=\frac{r_{x 1 y}-\left(r_{x 2 y}\right)\left(r_{x 1 \times 2}\right)}{\operatorname{SQRT}\left(\left(1-r_{x 2 y}\right)\left(1-r_{x \times 2}^{2}\right)\right)}$
Keeping x 1 as constant
$r_{x 2 y, \times 1}=\frac{r_{x 2 y}-\left(r_{x 1 y}\right)\left(r_{x \times 1 \times 2}\right)}{\operatorname{SQRT}\left(\left(1-r_{x 1 y}\right)\left(1-r_{x 1 \times 2}\right)\right)}$

## Keeping y as constant

$$
\begin{aligned}
& r_{x 1 \times 2 . y}=\frac{r_{x 1 \times 2}-\left(r_{x 2 y}\right)\left(r_{x 1 y}\right)}{} \\
& \operatorname{SQRT}\left(\left(1-r_{x 1 y}\right)\left(1-r_{x 2 y}^{2}\right)\right.
\end{aligned}
$$

### 2.30 TESTING FOR SIGNIFICANCE OF REGRESSION STATISTICS

Multiple linear regression modeling procedure does not always result in an accurate and reliable predictor. It is highly important to determine whether the overall model is satisfactory. To determine the adequacy of regression models, two types of test exist; overall significant test (testing all set of predictor variables) and individual significant test (to ascertain the contribution of individual predictor variables).

This project limits its test on the overall significant test. To conduct overall significant test the F -test statistic is used. The F test statistic is computed using Analysis of Variance (ANOVA). The ANOVA table for the computation of F-test statistic is given below;

## ANOVA TABLE

| Source of <br> Variation | Degree of <br> Freedom | Sum of <br> Squares | Mean <br> Squares | F-statistic |
| :--- | :--- | :--- | :--- | :--- |
| Regression | K | SSR | SSR/k | MSR/MSE |
| Error | $\mathrm{n}-\mathrm{k}-1$ | SSE | SSE $/ \mathrm{n}-\mathrm{k}-1$ |  |
| Total | $\mathrm{n}-1$ | SST |  |  |

$\mathrm{n}=$ number of observations and $\mathrm{k}=$ number of independent variables.

### 2.31 DECISION RULE

For a multiple regression analysis with two independent variables we are examining the hypotheses;

Ho: $\beta_{1}=\beta_{2}=0$
$H_{1}$ : at least one of the $\beta^{\prime} s \neq 0$
F-statistic $=$ MSR $/$ MSE
F -table value $=\mathrm{F}_{\mathrm{a}, \mathrm{v} 1, v_{2}}$ where $\mathrm{v}_{1}=\mathrm{k}$ and $\mathrm{v}_{2}=\mathrm{n}-\mathrm{k}-1$ having a right-tail area a. At 5\% significant level considering 21 observation and 2 variables $F_{a, v 1, v 2}=F_{0.05,2,17}=3.59$. We will reject Ho, if $F>F_{a, v 1, v 2,}$ accept otherwise. If Ho is rejected we can conclude that at least of the independent variables contributes significantly to the prediction of Y .

## CHAPTER THREE

### 3.0 PROGRAM DESIGN

### 3.1 DESIGN ELEMENT

The design of a new system can be conveniently divided into the following elements.

INPUT: - Considering of input will be influenced greatly by the needs of output e.g the necessity for quick response from the system world determines the need for an online type of input. In this project consideration would be given to design of input layouts.

OUTPUTS: - It is necessary to consider what is required from the system before deciding how to set about producing it. These requirements will have become clear as this project progressed.

FILES: - This element is very much linked to input and output. Input is processed against the files to produce the necessary output.

PROCEDURES: - They are the steps, which unify the whole process, which link everything together to produce the desired output. These will involve both computer and clerical procedure. They will start with the origination with the source document and end with the output document being distributed.

### 3.2 INPUT DESCRIPTION

A data file is a separate stored in Secondary. It is not attached to any program, but may be used by any number of programs. To avoid
confusion each buffer is numbered (often referred to as a file number) and assigning that number is also part of the opening process.

The only time a file number appears in a program is during the opening process. Once the file number is assigned, only that number refers to the file.

The opening statement will require you to state the file name, any allowable options and the buffer number (file number) assigned to it. After finishing using a file at the end of a program the file must be close. The closing process writes the current block of the file permanently into secondary storage, and releases the buffer area for other uses. Failing to close a file will result in the buffered data being lost.

In this project four data files namely YEAR, MCAP, N_ISSUES AND INDEX were created in order to provide a convenient means of storing data sets. Since data file can easily be read and updated by a basic program. The YEAR data was created for yearly value of market capitalization on the NSE.

### 3.3 ALGORITHM REPRESENTATION.

In order to find computer solution to a problem, one must decide steps to be taken by the computer. This involves working algorithm for the problem. The algorithm is then presented in any of the acceptable forms.

Although other forms of presenting algorithms exist (e.g pseudo codes, $\mathrm{N}-\mathrm{S}$ diagrams etc), this project employed flowchart as it provides good visual representation and easy appreciation of the logic of the algorithm its representing. After an understanding of the input and output, a rigorous description of these which covers almost all cases were drawn. The flowchart for data entry procedure and Co-efficient of regression estimate procedure were drawn as shown in Appendix ' A '.

### 3.4 CHOICE OF PROGRAMMING LANGUAGE

Basic is defined as know as the beginner all purpose symbolic instruction codes. Those who are writing a program for the first or those who are new into the program writing mostly use it. It is choosing as the programming language for the following reasons.

- It has only view concepts to learn and digest
- It has a design that facilitates the writing of programs in a style that is accepted as a good programming profile
- It is very easy to implement and compile
- It has a good file management facility
- Is the most commonly used programming language for mini computers and microcomputers system because of it small interpreter and compiler.


### 3.5 PROGRAM COMMANDS AND STATEMENTS

In BASIC, you make three types of entries from the keyboard these are COMMANDS, DATA and PROGRAM STATEMENTS. A Command is an immediate order for the computer to do something. Once the command is given it is executed by the computer. Command do not constitute part of a program rather, they process programs by performing various tasks related the program. Some commands in Basic program are:

LOADING QBASIC: - Before you can enter, change or execute a BASIC program, you must load the Basic interpreter/compiler program into your computer memory. When you have booted the system and see C:/>(DOS PROMPT) on the screen then QBASIC is typed and press the Enter key. Basic statement or system command from the keyboard can only be accepted if the Basic interpreter/compiler has been loaded into the memory.

LIST COMMAND: - To see all of the program statements that have been entered, we type the LIST COMMAND. The list command has the following variations

LIST list the entire program
LIST 10 list statements with statement number 10
LIST 10-200 list from line 10-200
LIST -200 list from the beginning to line to line 200

LIST 200 - list from 200 to the end of the program
The LIST directs the listing to a computer printer instead of the screen. DELETE COMMAND: The delete command erases whole sections of a program from main memory. It has the same variation as for LIST command. DELETE alone erases the entire program from the main memory.

SAVE: Main memory is volatile, i.e as soon as you get out of BASIC environment or when the computer is turned off, the program in main memory disappears. To save the current program to a disk (secondary storage media) we uses the save command.

RUN COMMAND: Once a program has been enter into the memory of the computer for us to follow the instruction the program statement will have to be executed. The command for program execution is RUN.

## BASIC STATEMENTS

A BASIC program centres on statements, each statement is written in conformity with the language syntax the pattern or structure of the word order. The order in which the statements are written is of vital importance, since the computer executes a program by embodying the ingredients of sequence. i.e. one statement after the other starting from the first selection, i.e, it skips a sequence of statements; and iteration which implies that it is directed by a loop to repeat a sequence of instructions.

BASIC statements are classified into two namely; executable and non executable statements. An executable statements command the computer to perform some actions or simply to take note of something. A non executable statement on the other hand, does not require the computer to take any action. Below is the function of Qbasic statement use in the program.

REM statements (short of Remark) are comment or remark statement that helps you to understand your program. You can use REM at any point in time inside your program to explain what you are doing inside the program or when you feel like giving your program a title. Its use is not compulsory but it is advisable to use it in order to describe what you are doing.

INPUT statement enable computer to transfer data or values to variable names. The values could be assigned to variables within the program or inputted while the program is running.

PRINT statements enable computer to display or print a constant or the content of a variable name.

LOCATE functions allow the movement of a cursor row and column wise, and

DIMENSSION statements are used to inform the computer to reserve cells for the element of list in the program.

## CHAPTER FOUR

### 4.0 PROGRAM IMPLEMENTATION

### 4.1 PROBLEM SPECIFICATION

The task of this design is to develop a system or program that could accept regression analysis data and generate result on such things as the equation of the model, analyze the variance of the regression coefficient as well as estimate the correlation co-efficient.

### 4.2 THE PRATICAL OPERATION OF THE PROGRAM

The program was develop in BASIC programming language to compute the regression and correlation analysis to know if new issues and stock index has any effect on the value of market capitalization on the NSE. The entire program is divided into various subprograms and this can be illustrates in the following steps below.

## STEP I CREATING AND STORING OF INPUT DATA FILES

The two lines (10-30) stated the title of the program "THIS PROGRAM USES REGRESSION AND CORRELATION TO ANALYSE THE NIGERIAN STOCK ECHANGE INDICATORS WRITTEN BY MOHAMMED ABDULRAZAK". The next two lines (40-50) dimensioned the variables into their appropriate sizes. These were followed by lines (60-250) for creating and storing the four input data files; YEAR for duration from 1985 2005, MCAP for the total market capitalization between 1985 and 2005, N_ISSUES for new issues during the period and INDEX for stock index.

## STEP 2 THE MULTIPLE REGRESSION LINE FOR THE DATA

The multiple regression line for the data is given by $\mathrm{Y}=\mathrm{bo}+\mathrm{blxl}+$ b2x2. The line numbers ( $260-1310$ ) were meant to compute the multiple regression line for the data. In achieving this, the original data was sorted out and their means were obtained and the values (constant bo, bl, b2) were equally computed and regression equation is printed using the appropriate formulae.

## STEP 3 TESTING FOR THE SIGNIFICANCE OF THE PARAMETER ESTIMATES USING ANOVA.

The test aims at finding out whether the explanatory variables ( $\mathrm{x} 1, \mathrm{x} 2$ i.e New issues and Stock Index) do actually have any significant influence on the dependent variable y (Market Capitalization). Line numbers 1320-2000 were meant to test if there is any significance different between the data. To achieve these, the data obtained were sorted using the binary sorting method. We calculate the sum of squares and mean sum of squares using the appropriate formulae. Lastly, a decision was taken at a $5 \%$ level of significance.

## STEP 4 THE CORRELATION CO-EFFICIENTS BETWEEN Y, XI AND X2

The line numbers 2010-2200 were meant to find the partial correlation coefficients between $\mathrm{Y}, \mathrm{X} 1$ and X 2 . We first compute the regression for Y and X 1 (r12), Y and X 2 (r13) and X 1 and X 2 (r23) and there relationship were obtained.

Finally, line number 2210 and 2220 were files created are closed and the END of the entire program. The end statement tells the computer that that there is no more statement to execute. The entire program is saved using the name ABDUPROJ.BAS and can be accessed at the QBASIC environment. It is equally listed in Appendix ' B '.

### 4.3 SYSTEM JUSTIFICATION

The computation procedures for evaluating regression and correlation analysis are necessarily tedious manually, even with the assistance of a hand-operated calculator. One can overcome this with the use of digital computer. The computer only save time and energy but also prevent the inevitable cascade of errors that occur whenever one error such as mis-punching the key of a calculator is committed and provides greater level of accuracy. Although there are full-featured statistical package that can handle regression and correlation analysis problem apart from being expensive they imposes heavy hardware requirements. For example statistical package for social sciences (SPSS) require a 16 -bit microcomputer 7 million bytes of fixed disc for programs and data. Moreover, in most cases only users with sound statistical background can make use of the available features. This program is design with a view to getting rid of these problems.

### 4.4 OUTPUT EXPECTED/SAMPLE RESULT

The program is expected to output a set of results as follows: -

- The worksheet for regression equation, products, squares, deviations, squares of deviations, covariance, the Regression model for future forecast, estimate of Y , residuals, sums and sum of squares.
- Statement of the Hypothesis, Decision rule, ANOVA table and Conclusion for the significance of the regression estimates.
- The strength of linear relationship that may exist between new issues, stock index recorded and the value of market capitalization for the period under study.

The results obtained from the execution of the program are given in the sample results at Appendix "C"

## CHAPTER FIVE

### 5.0 SUMMARY/CONCLUSION

In our present industrial society, efficiency of production of wealth depends heavily on various kinds of automation. Computers are special in this regard as they automate many methods of processing information. Statistical tools, like the regression and correlation, involving two or more independent variable cannot be easily modeled and evaluated manually. Consequently, this project adopt BASIC programming to fit a multiple regression equation (involving two independent variable), obtained the partial coefficient of correlations and conducted test on the overall significant of regression statistics. The multiple regression fitted shows that the second independent variable $\times 2$ (stock index) contribute higher to the value of predictor $Y$ (market capitalization) given it positive coefficient value of 1.3832 while new issues reduce the growth in market capitalization with 0.0262 . The estimate of Y was thus given by; $\mathrm{y}=-29.6203-0.0262 \times 1+1.3832 \times 2$.

Similarly the partial coefficients of correlation obtained suggest a positive and high correlation between new issues and market capitalization ( 0.9967 ), positive correlation of 0.3759 between new issues and stock index while the strength of relationship between new issues and market capitalization was negative and weak (-0.1766).

Though the test on the overall coefficient of regression carried out was significant, the estimates obtained may not satisfactory serve as a model for market capitalization, because this study did not exhaustively capture the entire contributory variables of the market capitalization. A more extensive study that encompasses more variable may be required in order to obtain a highly reliable model for the system.

## RECOMMENDATION

Round the globe, a shift to a capital market base economy from a money market one is intensifying; Nigeria capital market inclusive. To sustain and strengthen the current pace of the Nigerian capital market, continuous assessment and exploration of every element and structure are essential. Though, this project work, considered only, the contributions of new issues and stock index to the growth of the market capitalization, several other factor can be explore with numerous other statistical tools. This will better be achieved if stakeholders, government and corporate individual exploit the following among others;

- Creation and maintenance of well structured databanks on the market
-- Involvement of expert system (man and machine) in decision making processes
- Incorporating statistical tools and machines for the attainment of a more accurate and reliable projection and estimates
- Strengthening the nation's planning and budgeting processes by aligning the numerical inferential findings with empirical evidence.


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## APPENDIX A

## DATA ENTRY PROCEDURE FLOWCHART



## COEFFICIENT OF REGRESSION ESTIMATE PROCEDURE




## APPENDIX B

10 REM THIS PROGRAM USES REGRESSION AND CORRELATION TO ANALISE THE NIGERIAN
20 REM STOCK MARKET INDICATORS
30 REM WRITEN BY MOHAMMED ABDULRAZAK
40 DIM X1 (500), Y(500), X2(500), S(500), YR(500), E(500), F(500), G(500)
50. DIM L(500), M(500), N(500), X1Y(500), X2Y(500), X12 (500), X22(500), X1X2 (500)

DIM P(500), $Q(500), R(500), Y C A P(500), U(500), V(500)$
60 KEY OFF: CLS : LOCATE 12, 35: INPUT "ENTER NUMBER OF YEARS"; YN
70 OPEN "YEARS" FOR OUTPUT AS \#1
80 FOR I = 1 TO YN
90 INPUT YR(I)
100 NEXT I
110 CLOSE \#1: OPEN "MCAP" FOR OUTPUT AS \#2
120 CLS : LOCATE 23, 1: PRINT "READING THE YEARLY MARKET CAPITALISATION DATA
WAIT..."
130 FOR J = 1 TO YN
140 INPUT Y(J)
150 NEXT J
160 CLOSE \#2: OPEN "N_ISSUES" FOR OUTPUT AS \#3

180 FOR K = 1 TO YN
190 INPUT X1(K)
200 NEXT K
210 CLOSE \#3: OPEN "INDEX" FOR OUTPUT AS \#4
220 CLS : LOCATE 23, 1: PRINT "READING THE YEARLY STOCK INDEX DATA WAIT..."
230 FOR I = 1 TO YN
240 INPUT X2(I)
250 NEXT I
260 REM FIND THE MULTIPLE REGRESSION EQUATION $\mathrm{Y}=\mathrm{bo}+\mathrm{b} 1 \mathrm{x} 1+\mathrm{b} 2 \mathrm{xD}$
270 SUMX1 $=0:$ SUMX2 $=0:$ SUMY $=0$ :
280 FOR I = 1 TO YN
290 SUMX1 = SUMX1 + X1(I): SUMX2 = SUMX2 + X2(I): SUMY = SUMY + Y(I)
300 NEXT I
310 SUMX1Y $=0:$ SUMX2Y $=0:$ SUMX1X2 $=0:$ SUMX12 $=0: \operatorname{SUMX22}=0$
320 FOR I = 1 TO YN
$330 \mathrm{XIY}(\mathrm{I})=\mathrm{XI}(\mathrm{I}) * \mathrm{Y}(\mathrm{I}): \mathrm{X} 2 \mathrm{Y}(\mathrm{I})=\mathrm{X} 2(\mathrm{I}) * \mathrm{Y}(\mathrm{I}): \mathrm{X} 1 \mathrm{X} 2(\mathrm{I})=\mathrm{X} 1(\mathrm{I}) * \mathrm{X} 2(\mathrm{I})$
$340 \mathrm{X12}(\mathrm{I})=\mathrm{X} 1(\mathrm{I}){ }^{\wedge} 2: \mathrm{X} 22(\mathrm{I})=\mathrm{X} 2(\mathrm{I}) \wedge 2$
350 SUMX1Y = SUMX1Y + X1Y(I): SUMX2Y = SUMX2Y + X2Y(I)
360 SUMX1X2 = SUMX1X2 + X1X2(I): SUMX12 = SUMX12 + X12 (I):
SUMX22 = SUMX22 + X22 (I)
370 NEXT I
$380 \mathrm{AB}=$ SUMX1 * SUMX2Y - SUMX2 * SUMX1Y
390 AC = SUMX1 * SUMX22 - SUMX2 * SUMX1X2
400 AD $=$ SUMX1 * SUMX1X2 - SUMX2 * SUMX12
410 REM LET THE MEANS OF Y, X1 AND X2 BE DENOTED BY A, B, AND C RESPECTIVELY
$420 \mathrm{~A}=$ SUMY / YN: B $=$ SUMX1 / YN: $\mathrm{C}=$ SUMX2 / YN: SUME $=0$ : SUMF $=0$ : SUMG $=0$ : SUML $=0:$ SUMM $=0:$ SUMN $=0$
430 FOR I = 1 TO YN
$440 \mathrm{P}(\mathrm{I})=\mathrm{Y}(\mathrm{I})-\mathrm{A}: \mathrm{Q}(\mathrm{I})=\mathrm{XI}(\mathrm{I})-\mathrm{B}: \mathrm{R}(\mathrm{I})=\mathrm{X} 2(\mathrm{I})-\mathrm{C}: \mathrm{E}(\mathrm{I})=\mathrm{P}(\mathrm{I}) * \mathrm{P}(\mathrm{I})$
$F(I)=Q(I) * Q(I): G(I)=R(I) * R(I): L(I)=P(I) * Q(I):$
$M(I)=P(I) * R(I): N(I)=Q(I) * R(I)$
450 SUME $=$ SUME $+E(I):$ SUMF $=$ SUMF $+F(I):$ SUMG $=$ SUMG $+G(I):$
SUML $=$ SUML $+\mathrm{L}(I):$ SUMM $=$ SUMM $+M(I):$ SUMN $=$ SUMN $+N(I)$
460 NEXT I

480 b2 $=($ SUML $-($ SUMF * b1) ) / SUMN
490 b0 $=\mathrm{A}-(\mathrm{B} * \mathrm{~b} 1)-(\mathrm{C} * \mathrm{~b} 2)$
500 PRINT : PRINT "---------------------------------------------------
510 CLS : LOCATE 1, 3: PRINT "WORKSHEET FOR REGRESSION EQUATION"
520 PRINT "--------------------------------------------------------------------------------1
530 PRINT TAB(5); "YEARS"; TAB(25); "Y"; TAB(45); "X1"; TAB(65); "X2"
540 YR = 1985
550 FOR I = 1 TO YN
560 YR $=Y R+I$
570 NEXT I

```
580 FOR I = 1 TO YN
590 PRINT TAB(3); YR(I); USING "###.##"; TAB(25); Y(I); TAB(45); X1(I); TAB(65);
X2(I)
600 NEXT I
6 1 0 ~ P R I N T
"----------------------------------------------------------------------------------------
620 PRINT TAB(2); "SUM"; USING "##,###.##"; TAB(25); SUMY; TAB(45); SUMX1; TAB
(65); SUMX2
630 PRINT TAB(2); "MEAN"; USING "###.###"; TAB(25); A; TAB(45); B; TAB(65); C
640 PRINT : PRINT "-------------------------------------------------------------
6 5 0 ~ P R I N T ~ " W O R K S H E E T ~ F O R ~ R E G R E S S I O N ~ E Q U A T I O N ~ C O N T I N U E D " ~
6 6 0 ~ P R I N T
670 PRINT TAB(5); "YEARS"; TAB(25); "X1Y"; TAB(45); "X2Y"; TAB(65); "X1X2"
680 YR = 1985
6 9 0 ~ F O R ~ I ~ = ~ 1 ~ T O ~ Y N ~
700 YR = YR + I
710 NEXT I
720 FOR I = 1 TO YN
730 PRINT TAB(3); YR(I); USING ."#,###,###.####"; TAB(25); X1Y(I); TAB(45); X2Y(I);
TAB(65); X1X2(I)
740 NEXT I
7 5 0 ~ P R I N T
"-------------------------------------------------------------------------------------
760 PRINT TAB(2); "SUM"; USING "#,###,###.####"; TAB(25); SUMX1Y; TAB(45); SUMX2Y;
TAB(65); SUMX1X2
770 PRINT : PRINT
780 PRINT "WORKSHEET FOR REGRESSION EQUATION CONTINUED"
790 PRINT "-------------------------------------------------------------------------------
    800 PRINT TAB(5); "YEARS"; TAB(25); "(X1)2"; TAB(45); "(X2)2"
    810 YR = 1985
    820 FOR I = 1 TO YN
    830 YR = YR + I
    840 NEXT I
    850 FOR I = 1 TO YN
    860 PRINT TAB(3); YR(I); USING "#,###,###.####"; TAB(25); X12(I); TAB(45); X22(I)
    870 NEXT I
    880 PRINT
    890 PRINT TAB(2); "SUM"; USING "##,###,###.####"; TAB(25); SUMX12; TAB(45); SUMX22
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1120 PRINT TAB(3); YR(I); USING "#,###,###.####"; TAB(25); E(I); TAB(45); F(I);
TAB(65); G(I)
1130 NEXT I
1440 PRINT
"--------------------------------------------------------------------------------------
1150 PRINT TAB(2); "SUM"; USING "#,###,###.####"; TAB(25); SUME; TAB(45); SUMF;
TAB(65); SUMG
1160'PRINT : PRINT "----------------------------------------------------------------------
1170 PRINT "WORKSHEET FOR REGRESSION EQUATION CONTINUED"
1180 PRINT
1190 PRINT TAB(5); "YEARS"; TAB(25); "COV(X1Y)"; TAB(45); "COV(X2Y)"; TAB(65);
"COV(X1X2)"
1200 YR = 1985
1210 FOR I = 1 TO YN
1220 YR = YR + I
1230-NEXT I
1240-FOR I = 1 TO YN
1250 PRINT TAB(3); YR(I); USING "#,###,###.####"; TAB(25); L(I); TAB(45); M(I);
TAB(65); N(I)
1260 NEXT I
1270 PRINT
"-----------------------------------------------------------------------------------
1280 PRINT TAB(2); "SUM"; USING "#,###,###.####"; TAB(25); SUML; TAB(45); SUMM;
TAB(65); SUMN
1290 PRINT
1300 PRINT
1310 PRINT "THE REGRESSION EQUATION Y = "; b0; "+"; b1; "X1"; "+"; b2; "X2"
1320 REM THE SIGNIFICANCE OF REGRESSION EQUATION USING ANALYSIS OF VARIANCE
1330 SUMV = 0
1340 FOR I = 1 TO YN
1350 YCAP(I) = b0 + (b1 * X1(I)) + (b2 * X2(I))
1360 U(I) = Y(I) - YCAP(I)
1370 V(I) = U(I) ^ 2
-1380 SUMV = SUMV + V(I)
1390 NEXT I
1400 SSE = SUMV: SST = SUME: SSR = SST - SSE
-1410 REM FINDING THE ASSOCIATE DEGREE OF FREEDOM
1420- REM LET DF1, DF2 AND DF3 REPRESENT THE DEGREE OF FREEDOM
1430 REM FOR SST, SSR AND SSE RESPECTIVELY
1440 K = 2
1450 DF1 = YN - 1: DF2 = K: DF3 = YN - K - 1
1460 MSR = SSR / DF2: MSE = SSE / DF3
1470 F1 = MSR / MSE
1480 PRINT : PRINT "----------------------------------------------------------------------
1490 PRINT "ESTIMATE OF Y (MARKET CAPITALISATION)"
1500 PRINT
1510 PRINT TAB(5); "YEARS"; TAB(15); "Y"; TAB(30); "X1"; TAB(50); "X2"; TAB(65);
"YCAP"
1520 YR = 1985
1530 FOR I = 1 TO YN
1540 YR = YR + I
1550 NEXT I
1560 FOR I = 1 TO YN
1570 PRINT TAB(3); YR(I); USING "#,###.####"; TAB(15); Y(I); TAB(30); X1(I); TAB
(50); X2(I); TAB(65); YCAP(I)
1580 NEXT I
1590 PRINT
1600 PRINT TAB(2); "SUM"; USING "#,###,###.####"; TAB(15); SUMY; TAB(30); SUMM;
TAB(50); SUMN;
1610 PRINT : PRINT "----------------------------------------------------------------------
1620 PRINT "ESTIMATE OF Y AND ERROR RESIDUAL"
1630 PRINT
..n-_------------------------------------------------------------------------------
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1640 PRINT TAB (5); "YEARS"; TAB(15); "Y"; TAB(30); "YCAP"; TAB(50); "DIV(ERROR)";
TAB(65); "(DIV(ERROR)) $2 "$
$1650 \mathrm{YR}=1985$
1660 FOR I = 1 TO YN
1670 YR $=Y R+I$
1680 NEXT I
1690 FOR I = 1 TO YN
1700 PRINT TAB(3); YR(I); USING "\#\#,\#\#\#.\#\#\#\#"; TAB(15); Y(I); TAB(30); YCAP(I);
TAB(50); U(I); TAB(65); V(I)
1710 NEXT I
1720 PRINT
1730 PRTNT TAB (2) 1740 PRINT

1750 PRINT "SIGNIFICANT TEST OF THE OVERALL REGRESSION ESTIMATES"
1760 PRINT
1770-PRINT "HYPOTHESIS"
1780 PRINT "HO: Bi's = 0 (X1 AND X2 DO NOT CONTRIBUTE TO THE VALUE OF Y)"
1790 PRINT "H1: NOT ALL Bi's ARE EQUAL TO ZERO"
1800 PRINT
1810 PRINT "DECISION RULE"
1820 PRINT "REJECT HO IF FCRITICAL >= F*"
1830 PRINT TAB(10);
------------------"
1840 PRINT TAB(9); "ANALYSIS OF VARIANCE TABLE" 1850 PRINT TAB(3);

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1860 PRINT TAB(3); "SOURCE OF"; TAB(18); "SUM OF"; TAB(33); "DEGREE OF"; TAB(48);
"MEAN"; TAB(63); "F*"
1870 PRINT TAB(3); "VARIATION"; TAB(18); "SQUARES"; TAB(33); "FREEDOM"; TAB(48);
"SQUARE"
1880 PRINT TAB(3);
"-------------------------------------------------------------------------------
1890 PRINT TAB(3); "REGRESSION"; TAB(17); SSR; TAB(37); K; TAB(47); MSR; TAB(62);
F1
1900 PRINT TAB(3); "ERROR"; TAB(17); SSE; TAB(37); YN - K - 1; TAB(47); MSE;
1910 PRINT TAB(3);
    1920 PRINT TAB(3); "TOTAL"; TAB(17); SST; TAB(37); YN - 1
    1930 PRINT TAB(3);
    "----------
    1950 PRINT "CONCLUSION"
    1960 IF F1 >= FCRITICAL THEN
    1970 PRINT "WE REJECT HO AND CONCLUDE THAT THE VALUE OF MARKET CAPITALISATION IS
    SIGNIFICANTLY RELATED TO NEW ISSUES AND STOCK INDEX"
-1980-ELSEIF F1 < FCRITICAL THEN
1990-PRINT "WE ACCEPT HO AND CONCLUDE THAT NEW ISSUES AND STOCK INDEX DO NOT
CONTRIBUTE TO THE VALUE OF MARKET CAPITALISATION"
2000 END IF
2010 REM CORRELATION ANALYSIS
2020 REM TO DETERMINE THE DEGREE OF RELATIONSHIP BETWEEN Y, X1 AND X2
2030 r12 = SUML / ((SUMF * SUME) ^ .5)
2040 r13 = SUMM / ((SUMG * SUME) ^ . 5)
2050 r23 = SUMN / ((SUMF * SUMG) ^ . 5)
2060 REM FIND THE PARTIAL CORRELATION COEFFICIENTS BETWEEN Y, X1 AND X2
2070 r123 = (r12 - (r13 * r23)) / (((1- (r13) ^ 2) * (1 - (r23) ^ 2)) ^. . 5)
2080 r132 = (r13 - (r12 * r23)) / (((1 - (r12) ^ 2) * (1 - (r23) ^ 2)) ^ . 5)
2090 r231 = (r23-(r12 * r13)) / (((1-(r12) ^ 2) * (1-(r13)^2)) ^. . 5)
2100 PRINT : PRINT
2110 PRINT "THE CORRELATION COEFFICIENTS REPORTS"
2120 PRINT
2130 PRINT
2140 PRINT
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2150 PRINT "THE CORRELATION COEFFICIENT BETWEEN Y AND X1 DENOTED r12 = "; r12
2160 PRINT "THE CORRELATION COEFFICEINT BETWEEN Y AND X2 DENOTED r13 = "; r13
2170 PRINT "THE CORRELATION COEFFICIENT BETWEEN X1 AND X2 DENOTED r23 = "; r23
2180 PRINT "THE PARTIAL CORRELATION COEFFICIENT BETWEEN Y AND X1 r123 = "; r123
2190 PRINT "THE PARTIAL CORRELATION COEFFICIENT BETWEEN Y AND X2 r132 = "; r132
-2200-PRINT "THE PARTIAL CORRELATION COEFFICIENT BETWEEN X1 AND X2 r231 = "; r231
2210-CLOSE \#1, \#2, \#3, \#4
2220 END

APPENDIX C
OUTPUT

WORKSHEET FOR REGRESSION EQUATION

| YEAR | Y | X1 | X2 |
| :---: | :---: | :---: | :---: |
| 1996 | 625.32 | 857.6 | 506.04 |
| 1997 | 624.08 | 943.26 | 498.17 |
| 1998 | 617.01 | 981.31 | 486.22 |
| 1999 | 631.69 | 961.47 | 479.16 |
| 2000 | 689.96 | 1,004.41 | 533.05 |
| 2001 | 729.1 | 1,120.57 | 568.19 |
| -2002 | 744.56 | 1,185.30 | 578.96 |
| 2003 | 821.62 | 1,379.16 | 644.78 |
| 2004 | 866.94 | 1,387.68 | 663.21 |
| 2005 | 897.93 | 1,570.55 | 664.26 |
| SUM | 7,248.21 | 11,391.31 | 5,622.04 |
| MEAN | 724.821 | 1,139.131 | 562.204 |

WORKSHEET FOR REGRESSION EQUATION CONTINUED

| YEAR | X1Y | X2Y | X1×2 |
| :---: | :---: | :---: | :---: |
| 1996 | 536,274.4320 | 316,436.9328 | 433,979.9040 |
| 1997 | 588,669.7008 | 310,897.9336 | 469,903.8342 |
| 1998- | 605,478.0831 | 300,002.6022 | 477,132.5482 |
| 1999 | 607,350.9843 | 302,680. 5804 | 460,697.9652 |
| 2000 | 693,002.7236 | 367,783.1780 | 535,400.7505 |
| 2001 | 817,007.5870 | 414,267.3290 | 636,696.6683 |
| 2002 | 882,526.9680 | 431,070.4576 | 686,241.2880 |
| 2003 | 1,133,145.4392 | 529,764.1436 | 889,254.7848 |
| 2004 | 1,203,035.2992 | 574,963.2774 | 920,323.2528 |
| 2005 | 1,410,243.9615 | 596,458.9818 | 1,043,253.5430 |
| SUM | 8,476,735.1787 | 4,144, 325.4164 | 6,552,884.5390 |

WORKSHEET FOR REGRESSION EQUATION CONTINUED

| YEAR | ( X 1 ) 2 | (x2) 2 |
| :---: | :---: | :---: |
| 1996 | 735,477.7600 | 256,076.4816 |
| 1997 | 889,739.4276 | 248,173.3489 |
| 1998 | 962,969.3161 | 236,409.8884 |
| 1999 | 924,424.5609 | 229,594.3056 |
| -2000 | 1,008,839.4481 | 284,142.3025 |
| 2001 | 1,255,677.1249 | 322,839.8761 |
| 2002 | 1,404,936.0900 | 335,194.6816 |
| 2003 | 1,902,082.3056 | 415,741.2484 |
| 2004 | 1,925,655.7824 | 439,847. 5041 |
| 2005 | 2,466,627.3025 | 441,241.3476 |
| SUM | 13,476,429.1181 | 3,209,260.9848 |

WORKSHEET FOR REGRESSION EQUATION CONTINUED

| YEAR | DIVY | DIVX1 | DIVX2 |
| :---: | :---: | :---: | :---: |
| 1996 | -99.5010 | -281.5310 | -56.1640 |
| 1997 | -100.7410 | -195.8710 | -64.0340 |
| 1998 | $=107.8110$ | -157.8210 | -75.9840 |
| 1999 | -93.1310 | -177.6610 | -83.0440 |
| 2000 | -34.8610 | -134.7210 | -29.1540 |
| 2001 | 4.2790 | -18.5610 | 5.9860 |
| 2002 | 19.7390 | 46.1690 | 16.7560 |
| 2003 | 96.7990 | 240.0290 | 82.5760 |
| 2004 | 142.1190 | 248.5490 | 101.0060 |
| 2005 | 173.1090 | 431.4190 | 102.0560 |
| SUM | 0.0000 | 0.0000 | 0.0000 |

OUTPUT
WORKSHEET FOR REGRESSION EQUATION CONTINUED

| YEAR | (DIVY)2 | (DIVX1)2 | (DIVX2)2 |
| :---: | :---: | :---: | :---: |
| 1996 | 9,900.4490 | 79,259.7040 | 3,154.3949 |
| 1997 | 10,148.7491 | 38,365.4486 | 4,100.3532 |
| 1998 | 11,623.2117 | 24,907.4680 | 5,773.5683 |
| 1999 | 8,673.3832 | 31,563.4309 | 6,896.3059 |
| 2000 | 1,215.2893 | 18,149.7478 | 849.9557 |
| 2001 | 18.3098 | 344.5107 | 35.8322 |
| 2002 | 389.6281 | 2,131.5766 | 280.7635 |
| 2003 | 9,370.0464 | 57,613.9208 | 6,818.7958 |
| 2004 | 20,197.8102 | 61,776.6054 | 10,202.2120 |
| 2005 | 29,966.7259 | 186,122.3536 | 10,415.4271 |
| SUM | 101,503.6027 | 500,234.7665 | 48,527.6086 |


| YEAR | $\operatorname{cov}(\mathrm{X} 1 \mathrm{Y})$ | $\operatorname{Cov}(\mathrm{X} 2 \mathrm{Y})$ | Cov (X1X2) |
| :---: | :---: | :---: | :---: |
| 1996 | 28,012.6160 | 5,588.3742 | 15,811.9071 |
| 1997 | 19,732. 2404 | 6,450.8492 | 12,542.4036 |
| 1998 | 17,014.8398 | 8,191.9110 | 11,991.8709 |
| 1999 | 16,545.7466 | 7,733.9708 | 14,753.6801 |
| 2000 | 4,696.5088 | 1,016.3376 | 3,927.6560 |
| 2001 | -79.4225 | 25.6141 | -111.1061 |
| 2002 | 911.3299 | 330.7467 | 773.6078 |
| 2003 | 23,234.5672 | 7,993.2742 | 19,820.6347 |
| 2004 | 35,323.5353 | 14,354.8717 | 25,104.9403 |
| 2005 | 74,682.5117 | 17,666.8121 | 44,028.8975 |
| SUM | 220,074.4732 | 69,352.7616 | 148,644.4918 |

IHE REGRESSION EQUATION $Y=20.5024+0.1701 X 1+0.9082 \times 2$

## ESTIMATE OF Y (MARKET CAPITALISATION)

| YEAR | Y | X1 | X2 | YCAP |
| :---: | :---: | :---: | :---: | :---: |
| 1996 | 625.32 | 857.6 | 506.04 | 625.9315 |
| 1997 | 624.08 | 943.26 | 498.17 | 633.3535 |
| 1998 | 617.01 | 981.31 | 486.22 | 628.9726 |
| 1999 | 631.69 | 961.47 | 479.16 | 619.1866 |
| 2000 | 689.96 | 1,004.41 | 533.05 | 675.4308 |
| 2001 | 729.1 | 1,120.57 | 568.19 | 727.1004 |
| 2002 | 744.56 | 1,185.30 | 578.96 | 747.8907 |
| 2003 | 821.62 | 1,379.16 | 644.78 | 840.6381 |
| 2004 | 866.94 | 1,387.68 | 663.21 | 858.8247 |
| 2005 | 897.93 | 1,570.55 | 664.26 | 890.8812 |
| SUM | 7,248.21 | 11,391.31 | 5,622.04 |  |

ESTIMATE OF $Y$ AND RESIDUAL

| YEAR | Y | YCAP | DIV(ERROR) | (DIVERROR)2 |
| :---: | :---: | :---: | :---: | :---: |
| 1996 | 625.32 | 625.9315 | -0.6115 | 0.3739 |
| 1997 | 624.08 | 633.3535 | -9.2735 | 85.9982 |
| 1998 | 617.01 | 628.9726 | -11.9626 | 143.1043 |
| 1999 | 631.69 | 619.1866 | 12.5034 | 156.3360 |
| 2000 | 689.96 | 675.4308 | 14.5292 | 211.0989 |
| 2001 | 729.1 | 727.1004 | 1.9996 | 3.9986 |
| 2002 | 744.56 | 747.8907 | -3.3307 | 11.0936 |
| 2003 | 821.62 | 840.6381 | -19.0181 | 361.6891 |
| 2004 | 866.94 | 858.8247 | 8.1153 | 65.8588 |
| 2005 | 897.93 | 890.8812 | 7.0488 | 49.6854 |
| SUM | 7,248. |  |  | 1,089:2367 |

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## SIGNIFICANCE TEST OF THE OVERALL REGRESSION ESTIMATES

HYPOTHESIS
HO: Bi's $=0$ ( X 1 AND X2 DO NOT CONTRIBUTE TO THE VALUE OF Y)
H1: NOT ALL Bi's ARE EQUAL TO ZERO
DECISION RULE
REJECT HO IF FCRITICAL >= F*
-ANALYSIS-OF VARIANCE TABLE


